

Corrections *Classical Mechanics* by **R. Hentschke** (as of January 26, 2020)

	<i>incorrect</i>	<i>corrected</i>
p. 41 (3rd §)	...baseball some 70 m...	...basketball some 35 m...
p. 79 (2nd §)	According to of ...	According to ...
p. 80 (line above Eq. (3.34))	...(3.20):	...(3.21):
p. 270 (Eqs. (9.56), (9.58))	$\nu_{i(k)}$	$\nu_i(k)$
ibid. (Eq. (9.57))	λ^{2-1}	$\lambda^2 - 1$
ibid. (Eq. (9.59))	$T_{B-T}(k)$	$T_B - T(k)$
p. 332 (line 8 from bottom)	equation	equations
p. 334 (first line)	$\int_0^1 (...)$	$\int_0^1 dx (...)$

Comments:

p.176 Another variant of this problem is the shape of a chain hanging between two poles. In this case $U_{pot} = -\rho g \int_{\text{chain}} u(x) ds$, where again $ds = \sqrt{dx^2 + du^2}$. But there is no tension term, i.e. the chain is not stretched. The resulting shape is $u(x) = a \cosh(x/a)$, where a is obtained by solving $\sinh(L/(2a)) = l/(2a)$ numerically. Here l is the length of the chain and L is the distance between the poles.